

# Exam 1 (A)

1 10 char words from A..Z, 0..9

(a)  $36^{10}$  (b)  $36^6 + 36^6$  (c)  $34^{10}$

(d)  $35^{10} + 35^{10} - 34^0$

(e)  $\binom{10}{4} \cdot 35^6$  (f)  $\binom{10}{3} \binom{7}{4} 34^3$

(g)  $A_i$ : 8 Hs from  $i$  to  $i+7$ ,

$$|A_1 \cup A_2 \cup A_3| = 3 \cdot 36^2 - 36 - 36 - 1 + 1$$

(h)  $36 \cdot 35^9$  (i)  $P(36, 10)$

(j)  $P(36, 10) - P(35, 10) = \binom{10}{1} P(35, 9)$

(k)  $2 \cdot 9 \cdot P(34, 8)$

2 45 cake donuts to 9 friends

(a)  $9^{45}$  (b)  $\binom{45}{7} \cdot 8^{38}$

(c)  $9^{45} - 8^{45}$  (d)  $\frac{45!}{(5!)^9}$  (e)  $\frac{45!}{(4!)^9 9!}$

(f)  $\binom{53}{8}$  (g)  $\binom{45}{7}$

(h)  $\binom{53}{8} - \binom{46}{8}$  (i)  $\binom{59}{9}$  (j) 1

3 (a) place 1 40.32 }  
place 2 39.31 }  $\Rightarrow$

$$P(40, 11) \cdot P(32, 11) = \frac{40!}{29!} \cdot \frac{32!}{21!}$$

(b) Each solution gives 11! to part (a),

so  $\frac{P(40, 11) \cdot P(32, 11)}{11!}$

4 (a)  $\binom{35}{18}$  (b)  $\binom{35}{18} - \binom{25}{18}$    
↑ all to men

(c)  $\binom{35}{18} - \binom{25}{8}$    
↑ all women get prize